

# Elemental abundance variations across coronal hole boundaries

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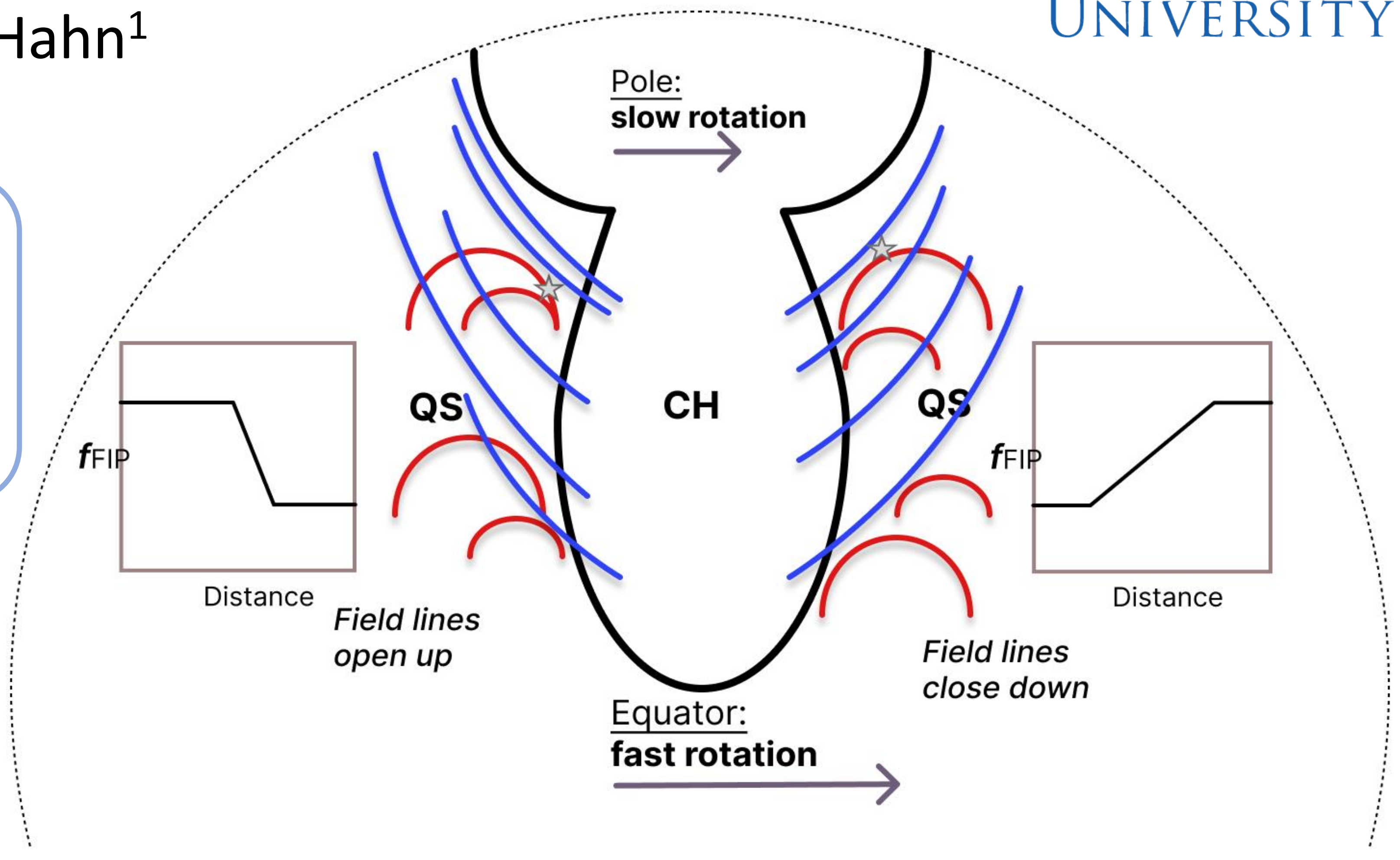
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## 1) Goals

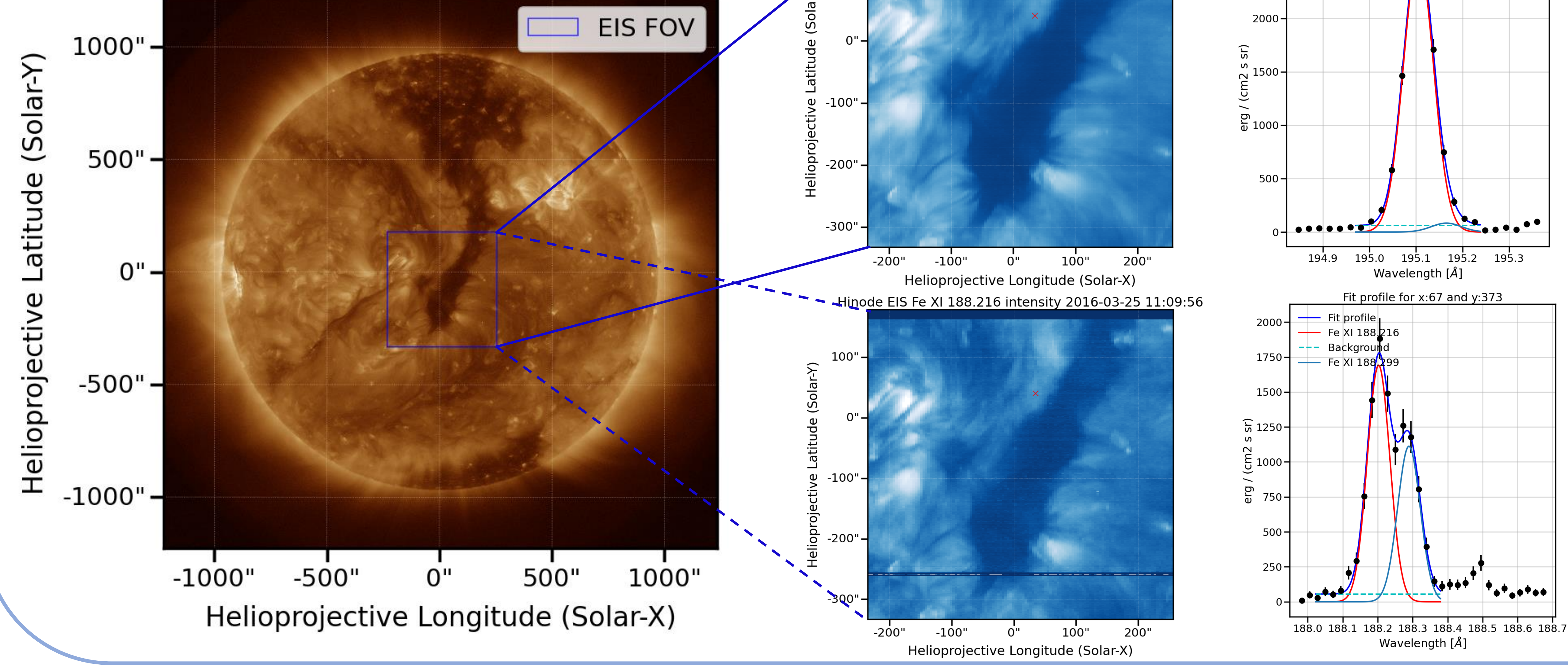
- a) Quantify the relative abundances of different elements at the boundaries of coronal holes (CHs). Reconnection is expected to modulate these abundances through the First Ionization Potential (FIP) effect
- b) Measure the FIP effect across coronal hole boundaries as a function of latitude on the leading and trailing edges of coronal holes and quantify any differences

## 2) Methodology

- Fit the observed EIS lines and derive their intensities
- Use the Fe lines (+ Si) to calculate the Deferential Emission Measure (DEM)
- Identify the lines of high-FIP elements (e.g., Sulphur)
- Compute the modeled intensity of the high-FIP elements using the DEM
- Analyze the behavior of the FIP-bias ratio at the boundaries between the quiet sun and the coronal hole



## 3) Data



## 4) DEM

- Low-FIP lines:  $(\log(T[K]))$
- Fe X 184.536 - (6.05)
  - Fe VIII 185.213 - (5.80)
  - Fe XI 188.216 - (6.10)
  - Fe XII 195.119 - (6.20)
  - Fe IX 188.497 - (5.75)
  - Fe XIII 202.044 - (6.25)
  - Fe XV 284.160 - (6.35)
  - Si X 258.375 - (6.15)
- High-FIP line:
- S X 264.233

$$I_{ji} = \frac{1}{4\pi} \int G_{ji}(T_e, n_e) \varphi(T_e) dT_e$$

Inversion (Hannah and Kontar 2013)

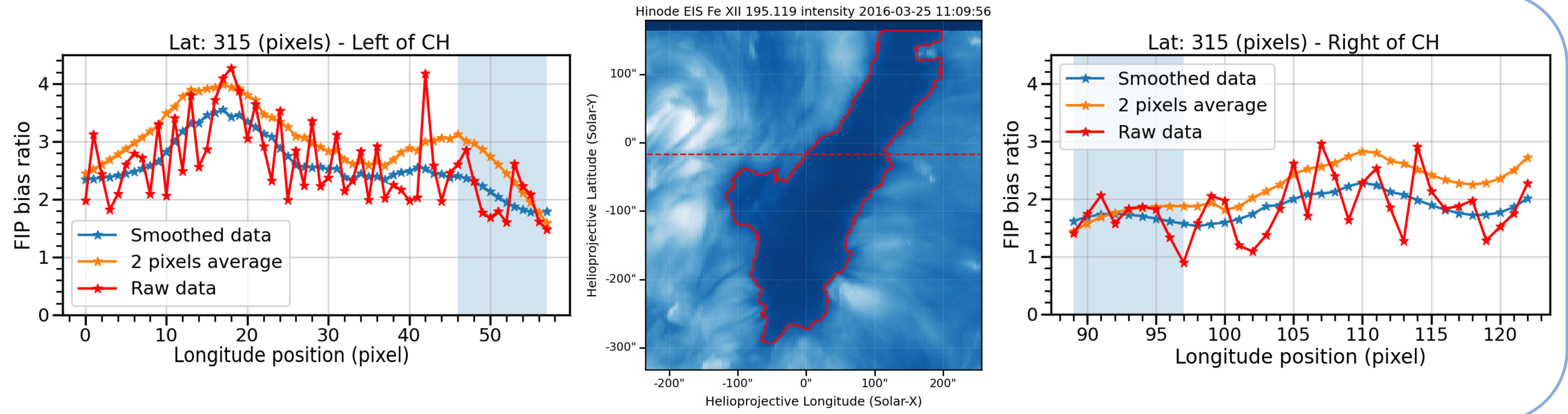
$$\frac{I_{pred}^S}{I_{obs}^S} = \frac{f_{(Fe+Si)}}{f_S} \equiv \text{FIP bias ratio}$$

FIP-bias:  $f_X = \frac{A_X^C}{A_X^P}$   
 $A_X$  = abundance of element X

\* The CHIANTI 10.0.2 database was used, and the electron density was derived from density diagnostics (line ratios)

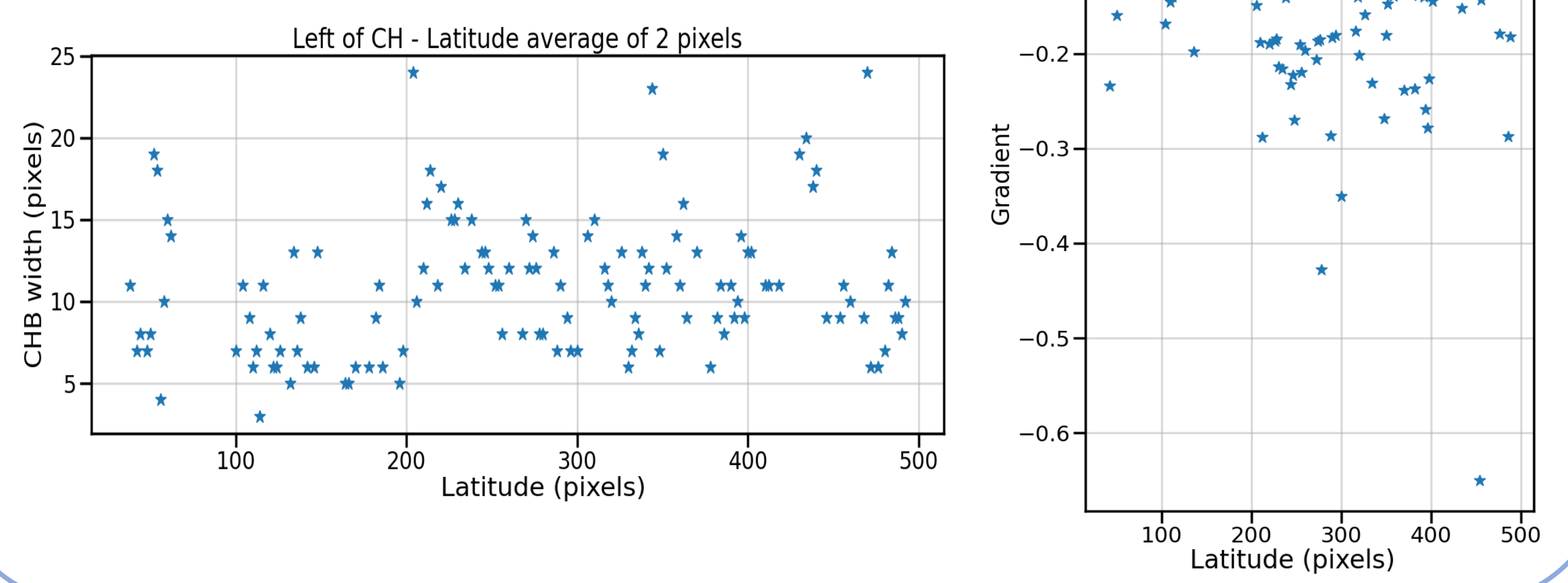
## 5) Analysis

- Take longitudinal cuts of the FIP-bias ratio
- Identify the CH boundary using the triangle thresholding method
- Smooth the FIP bias ratio data using the Savitzky-Golay filter
- By examining the derivative of the FIP bias ratio identify the boundary region from the CH edge, where the behavior of the FIP bias ratio changes significantly
- Calculate the width of this region (CHB-width) and the gradient



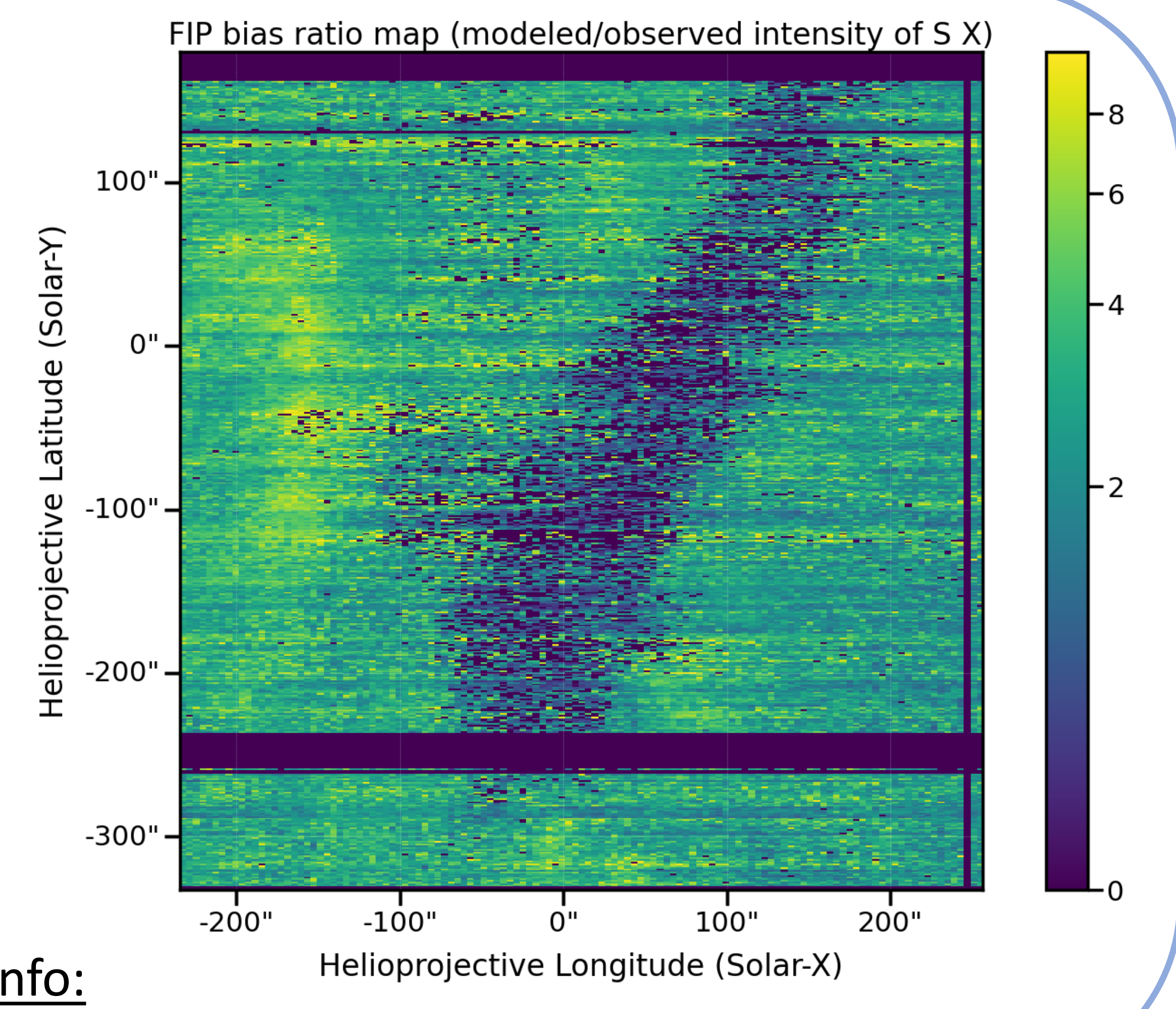
## 6) Preliminary results

- For every longitudinal cut examine the CHB-width and the gradient as a function of latitude



## 7) Conclusions

- The width of the CH boundary and the gradient of the FIP bias ratio there show no significant variation with latitude
- There is an indication for a difference between the leading and the trailing edge of the CH
- FFT also revealed persistent spatial periodicities in the FIP bias ratio signal
- But several uncertainties in the processing of the data should be considered before further analysis
- Any comments or suggestions are welcomed!



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