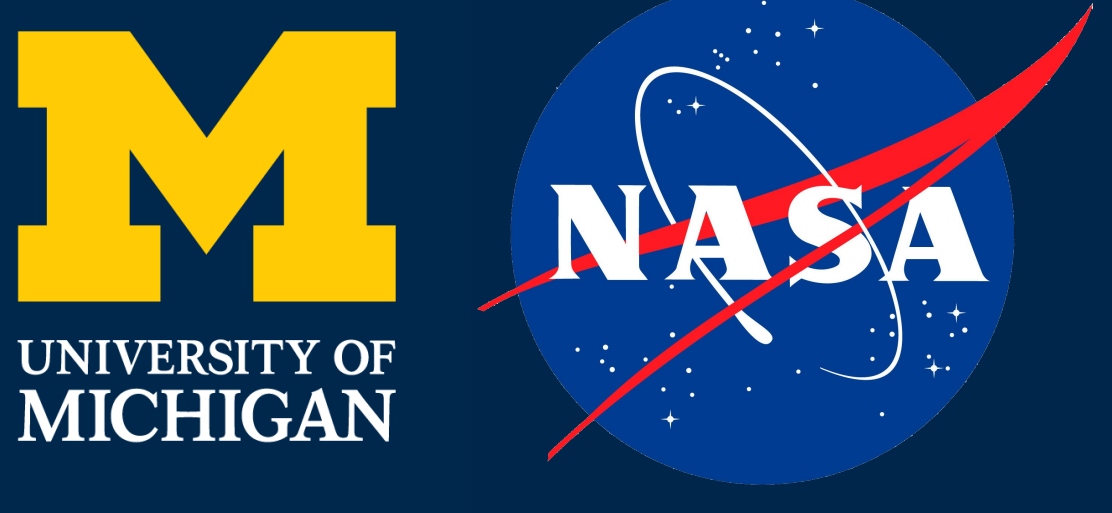


Heavy Ions and Anisotropies as in-situ Diagnostics of Solar Wind and Coronal Heating



Wind and Coronal Heating

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Interested in solar wind formation and structure?
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Interested in solar wind kinetic processes and heating?
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Introduction

Heavy Ions in the Solar Wind

- The solar wind is composed of ~96% protons, ~4% alpha particles, and <0.1% ionized heavy elements (C, O, Ne, Mg, Si, Fe, etc.) by number.
- Like leaves on a stream, heavy ion properties reveal processes occurring in the corona and the solar wind.
- Densities of ions in different charge states set deep in the corona via the “freeze-in effect” probe solar wind source regions [1].
- Abundance ratios probe the First Ionization Potential (FIP) effect [2].
- Super mass-proportional heavy ion temperatures and differential streaming probe solar wind heating from resonant absorption [3, 4] and kinetic Alfvén wave (KAW) turbulence [5,6].
- Outstanding questions in Heliophysics relate to the formation of the solar wind and physical mechanisms operating on solar wind formation/evolution [7].
- We can utilize heavy ion properties measured by ACE/SWICS to help in efforts to answers to these questions.**

Methodology

On Solar Wind Release

- Proton specific entropy, $S = k_B \ln(T_p^{3/2}/n_p)$, is strongly correlated with O^{7+}/O^{6+} [8].
- Large-scale energization signatures appear preserved from the corona into the solar wind.

Where is solar wind entropy variability set in the corona?

- Method: cross-correlate other heavy ion properties with entropy.

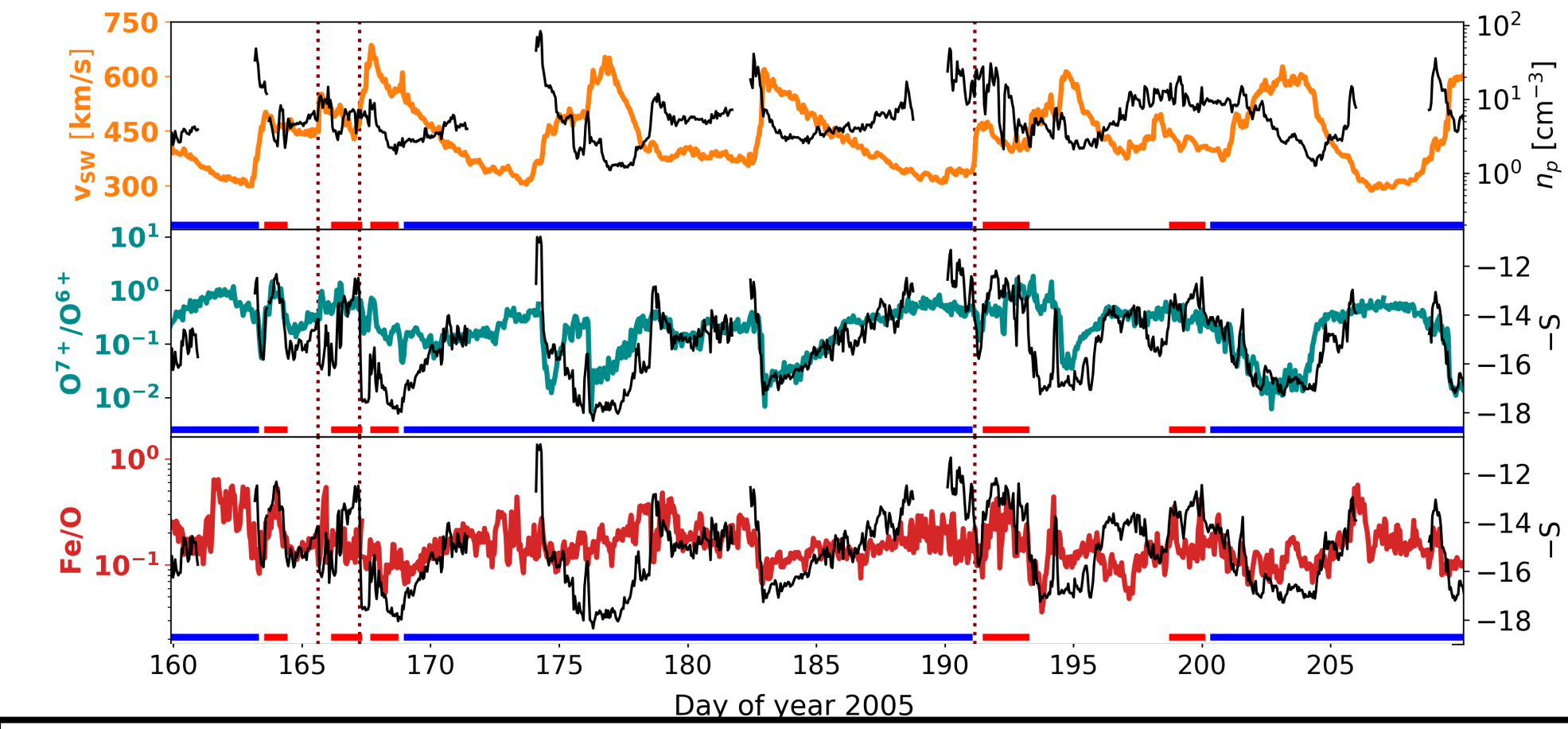


Fig 1. Time series of O^{7+}/O^{6+} and Fe/O plotted against entropy (S) over a wide range of solar wind conditions. ICME times [9] are marked in bright red and maroon dashes represent shocks [10], both of which are excluded from our analysis.

On Solar Wind Heating

- Heavy ions are heated super-mass-proportionally [11] and can stream faster than protons along $\vec{B}$ [12,13].
 - If ion-gyroscale turbulent fluctuations stochastically heat ions, differential streaming should regulate $T_{\perp i}/T_{\parallel p}$ [6].
- Does the super-mass-proportionality of ion temperatures change with differential streaming magnitude?

- Method: organize 11 heavy ion-proton temperature ratios by Helium field-aligned differential streaming speed: $\Delta v_{ap} = -\cos \theta_{B, \vec{v}_p} + \text{sgn}[\cos \theta_{B, \vec{v}_p}] \sqrt{V_{\alpha}^2 - V_p^2 \sin^2 \theta_{B, \vec{v}_p}}$

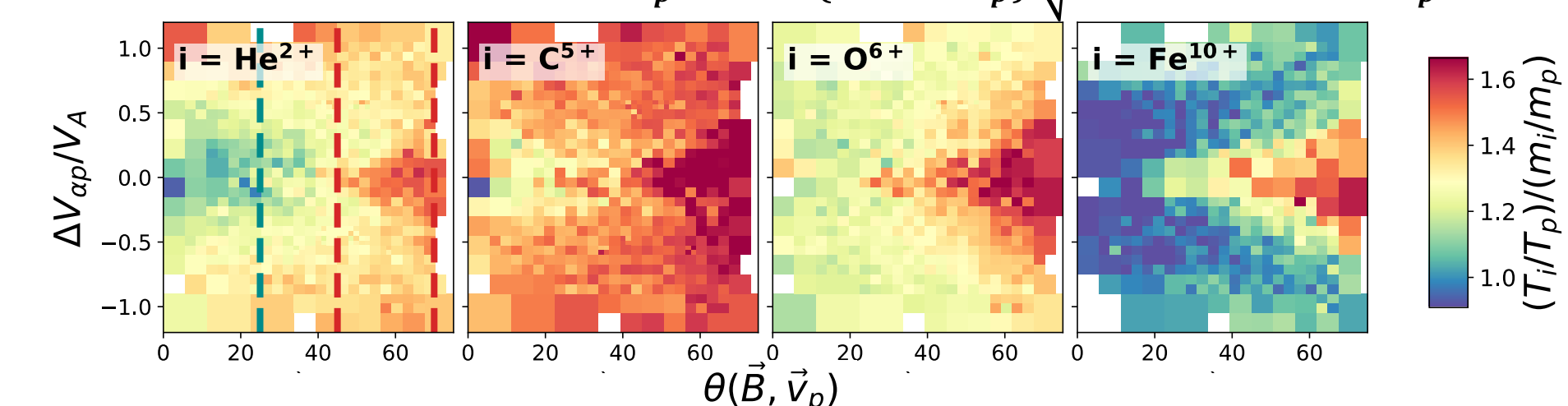


Fig 2. Reconstructed Helium field-aligned differential streaming ($\Delta v_{ap}/V_A$) [12] vs solar wind velocity-IMF angle ($\theta_{B, \vec{v}_p}$), color-coded to the ion-proton temperature ratio normalized to the ion mass for four heavy ions measured by ACE/SWICS. Only low collisional age solar wind data ($A_{C, i-p} < 0.1$) is used. As $\theta_{B, \vec{v}_p} \rightarrow 90^\circ$, components of the velocity distribution preferentially perpendicular to the IMF are expected to be observed by ACE/SWICS. Data between the dashed red lines ($45^\circ < \theta_{B, \vec{v}_p} < 70^\circ$) are used for the subsequent analysis of perpendicular heating.

Observations

Entropy Variability Stops Evolving in the Middle Corona

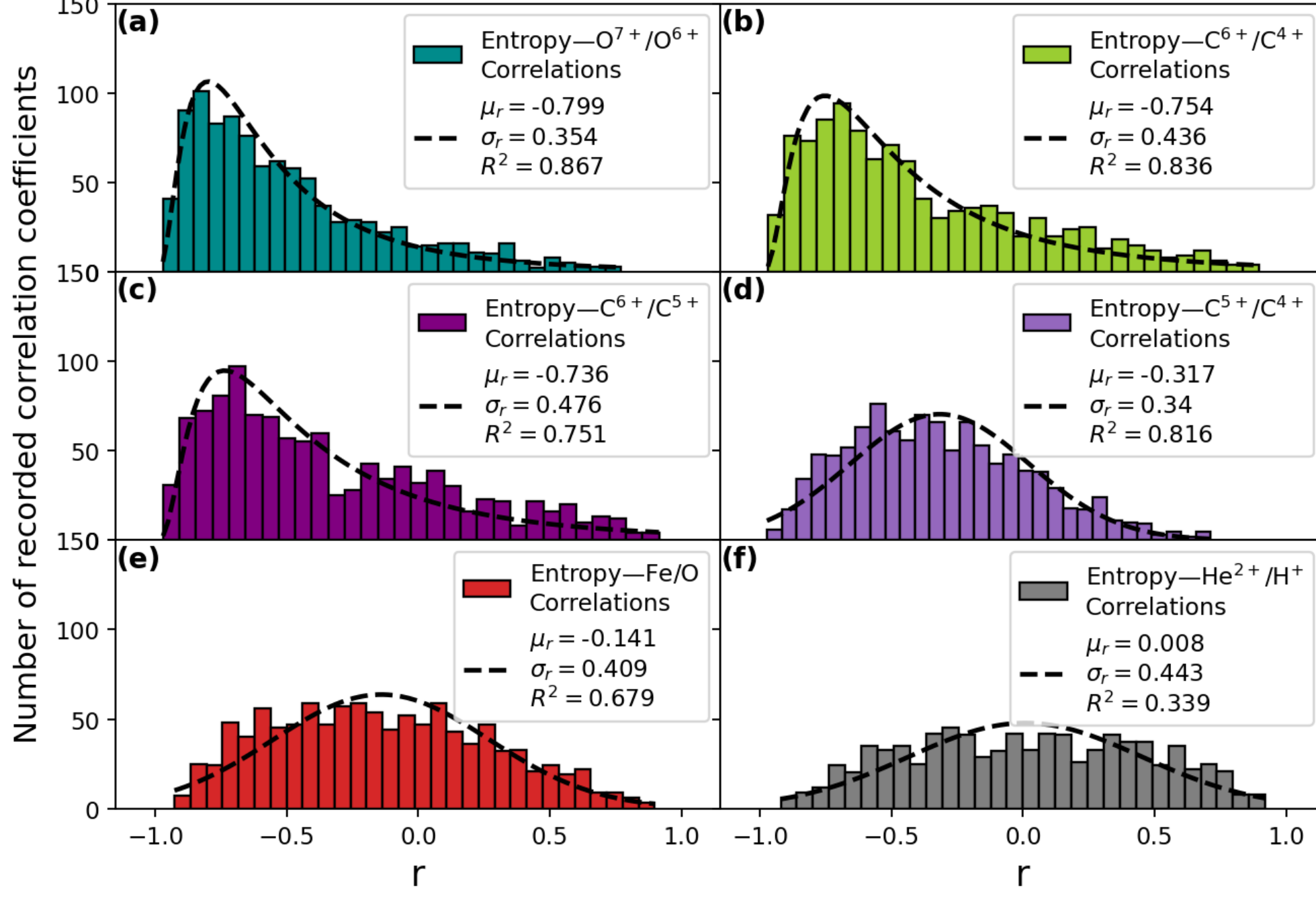


Fig 3. Distributions of correlation coefficients between entropy and six selected heavy ion distribution properties over two-day sampling periods spanning 1998-2011 excluding ICMEs, along with log-normal fits in panels a,b,c, and normal fits in panels d,e,f.

Differential Streaming Regulates

$$T_{\perp i}/T_{\parallel p}$$

$$\frac{T_{\perp i}}{T_{\parallel p}} = A_i \left(\frac{A_i}{Z_i} \right)^{\frac{2a}{1-a}} \left(\frac{\chi^{\frac{1}{1-a}}}{\chi^{\frac{1}{1-a}} + \frac{v_i}{v_A}} \right)_i = \frac{1}{\sqrt{\pi} w_i} \int_{-\infty}^{\infty} dv_i \chi^{\frac{1}{1-a}} \exp \left(-\frac{(v_i - \Delta v_{ip})^2}{w_i^2} \right) \chi = \frac{2}{r_A + 1} \left(r_A + \frac{v_i^2}{v_A^2} \right) - \frac{2\sigma v_i}{v_A}$$

Eq. (1) Eq. (2) Eq. (3)

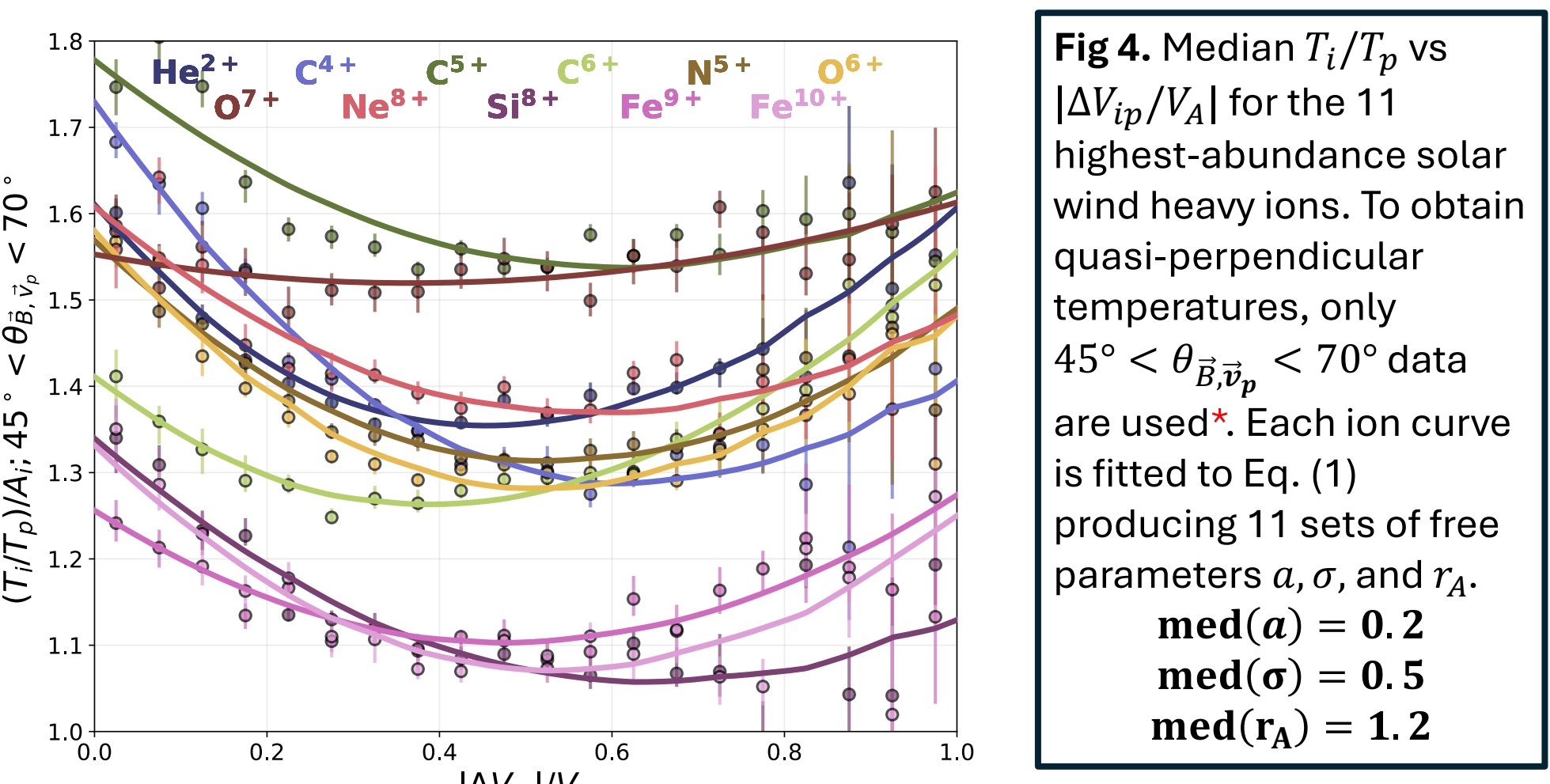


Fig 4. Median T_i/T_p vs $|\Delta v_{ip}/V_A|$ for the 11 highest-abundance solar wind heavy ions. To obtain quasi-perpendicular temperatures, only $45^\circ < \theta_{B, \vec{v}_p} < 70^\circ$ data are used*. Each ion curve is fitted to Eq. (1) producing 11 sets of free parameters a , σ , and r_A .
 $\text{med}(a) = 0.2$
 $\text{med}(\sigma) = 0.5$
 $\text{med}(r_A) = 1.2$

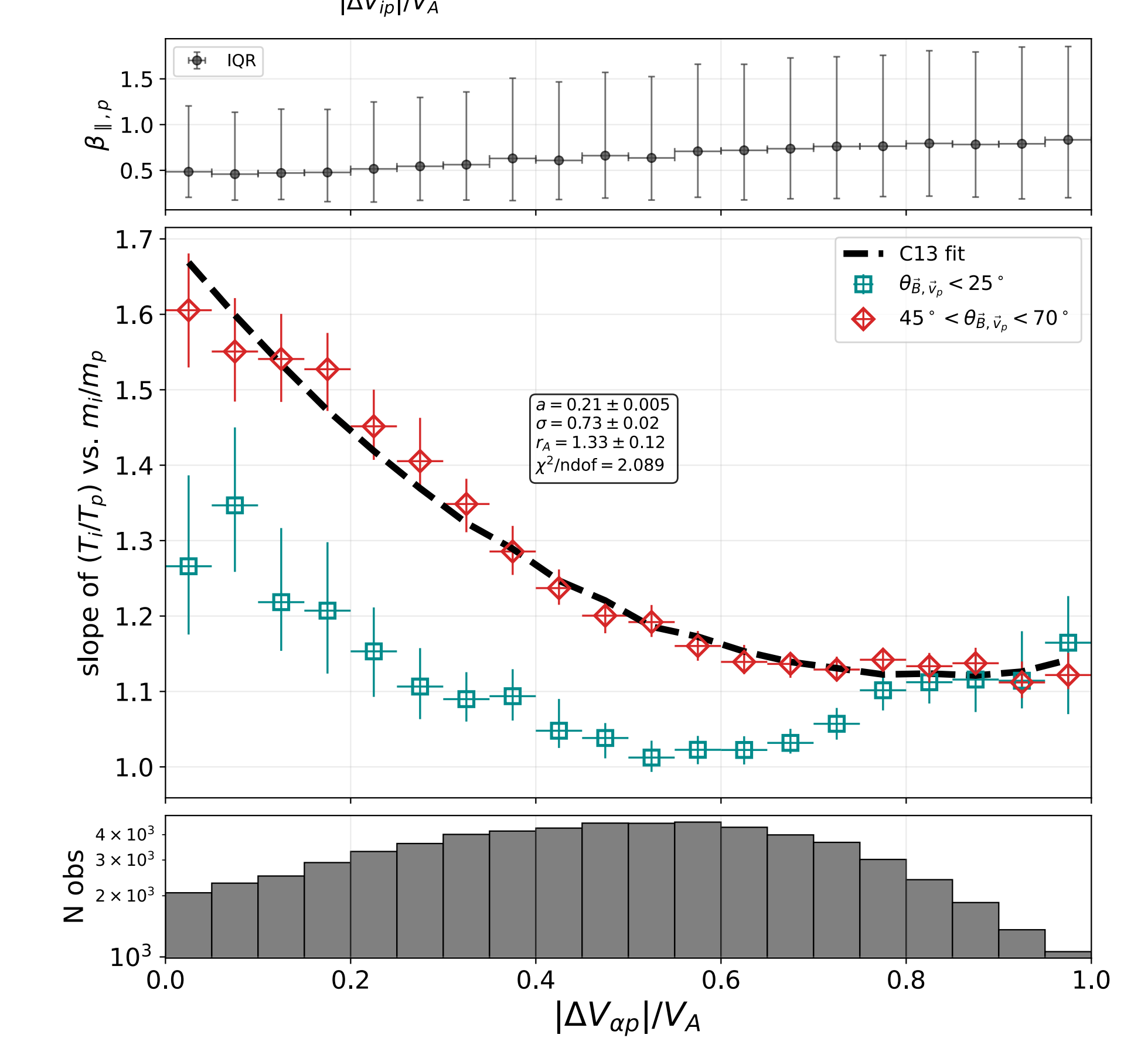


Fig 5. Slopes of linear fits between median T_i/T_p and m_i/m_p for 20 different Helium differential streaming bins, along with bootstrapped slope uncertainties. Red diamonds correspond to preferentially perpendicular temperature ratios (i.e. $T_i/T_p \approx T_{li}/T_{lp}$), while blue squares correspond to preferentially parallel temperature ratios (i.e. $T_i/T_p \approx T_{li}/T_{lp}$). Also included is a fit from the theory of stochastic ion heating by turbulence [6], which predicts a relationship between T_{li}/T_{lp} and $\Delta v_{ip}/V_A$. The free parameters fitted are the fluctuation energy exponent a , the fractional cross helicity σ , and the gyroscale Alfvén ratio r_A .

*For $\theta_{B, \vec{v}_p} > 70^\circ$, uncertainties in the reconstructed differential streaming become significant [12].

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Discussion

Heavy Ion Densities Probe Coronal Thermodynamics

Charge state ratio	CH freeze-in distance ($R_\odot$)	HS freeze-in distance ($R_\odot$)	AR freeze-in distance ($R_\odot$)
O^{7+}/O^{6+}	1.72	1.68	1.50
C^{6+}/C^{5+}	1.68	1.75	1.64
C^{6+}/C^{5+}	1.52	1.67	1.67
C^{5+}/C^{4+}	1.45	1.62	1.48

Table 1. Heliocentric distances at which ions of carbon and oxygen reach 90% of their frozen-in values calculated with the Michigan Ionization Code [14], using self-consistent temperature, density, and velocity profiles associated with coronal holes (CHs), helmet streamers (HSs), and active regions (ARs) developed by [15].

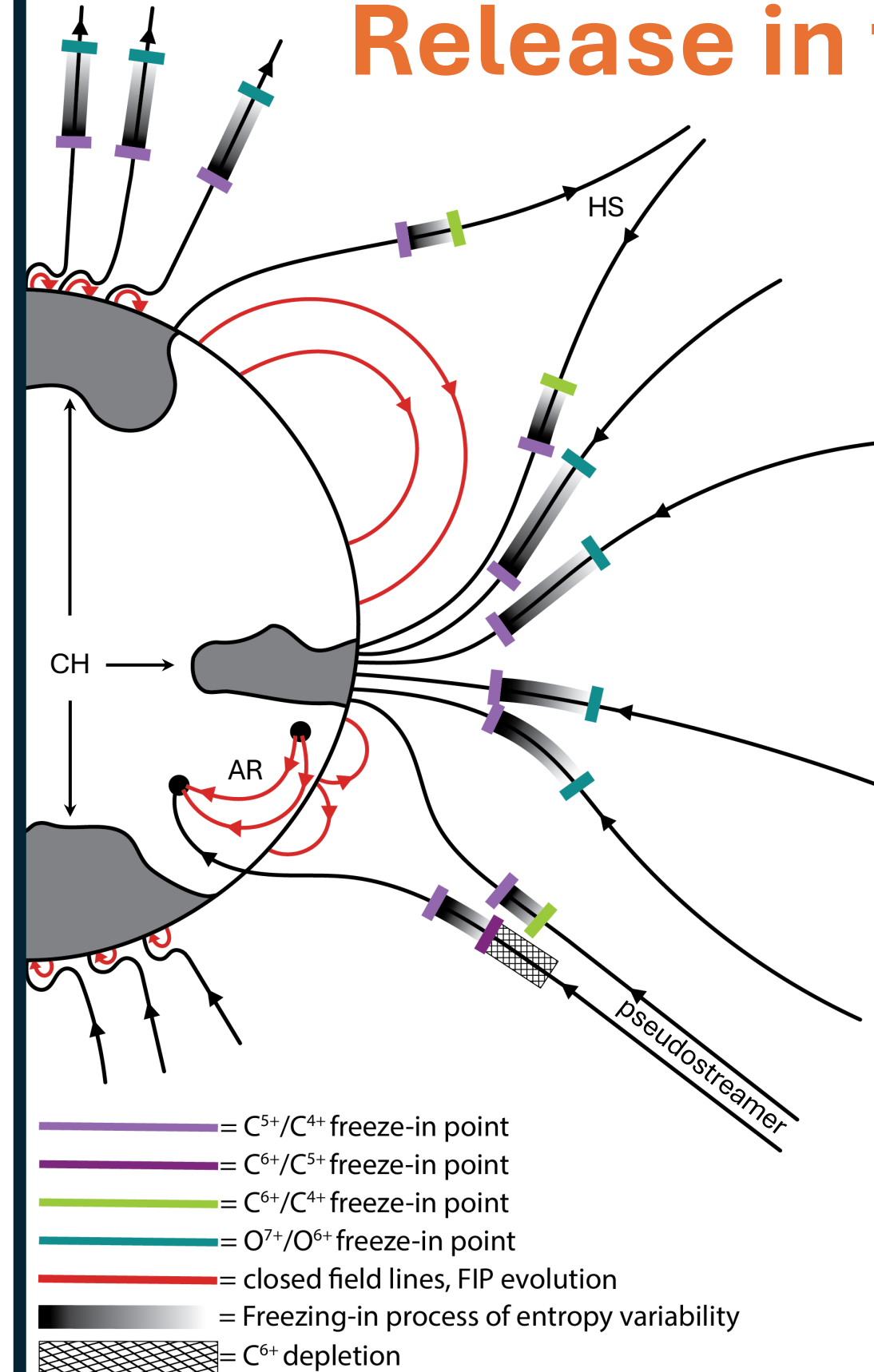
- Decorrelations between Fe/O and O^{7+}/O^{6+} indicate sudden flux openings — interchange reconnection — in the corona.
- Entropy variability evolves after Fe/O is set in the corona, continues to evolve after C^{5+}/C^{4+} freezes-in, and eventually freezes-in along with the other mentioned charge state ratios.

Heavy Ion Temperatures Probe KAW Turbulence

- fluctuation energy scaling exponent: $W_i = W_p(\rho_i/\rho_p)^{2a}$ where $W \equiv \frac{1}{4}(|\vec{z}^+|^2 + |\vec{z}^-|^2)$
- Gyroscale fractional cross helicity: $\sigma = \frac{(|\vec{z}^+|^2 - |\vec{z}^-|^2)}{(|\vec{z}^+|^2 + |\vec{z}^-|^2)}$ where $\vec{z}^\pm = \delta \vec{v} \mp v_A \frac{\delta \vec{B}_\perp}{B_0}$ and $\delta \vec{B}_\perp = \delta \vec{B} - \hat{b}(\hat{b} \cdot \delta \vec{B})$
- Gyroscale Alfvén ratio: $r_A = \left(\frac{B_0}{v_A} \right)^2 \frac{(|\delta \vec{v}|^2)}{(|\delta \vec{B}_\perp|^2)}$
- Least-squares fit gives [1] $a \approx 0.21$, [2] $\sigma \approx 0.7$, and [3] $r_A \approx 1.3$
 - [1] Only partial cross-field coupling between ions/electrons near $k_\perp \rho_i \approx 1$ [6,16].
 - [2] Imbalanced turbulence: $\langle |\vec{z}^+|^2 \rangle > \langle |\vec{z}^-|^2 \rangle$.
 - [3] Slightly more energy in $\vec{E} \times \vec{B}$ velocity fluctuations than $\vec{B}$ fluctuations [6,16].

The Big Picture

Pathways to Solar Wind Release in the Corona



Steady-state calculations of charge state freeze-in heights act as snapshots for entropy evolution. Elemental abundance behavior constrains interchange reconnection.

Fig 6. Illustration of the decrease in evolution of entropy variability in the solar corona over a range of coronal structures producing solar wind that may be observed by ACE. The region of entropy variability freezing-in is constrained by freeze-in distances of heavy ion charge state ratios calculated using the MIC — a steady-state model.

Mechanisms for Collisionless Heating in the Solar Wind

Heavy ions may be preferentially heated up to $\sim 100 R_\odot$, within the reach of Solar Orbiter. 3D Heavy ion VDFs can be constructed. These measurements may help disentangle resonant/stochastic heating processes.

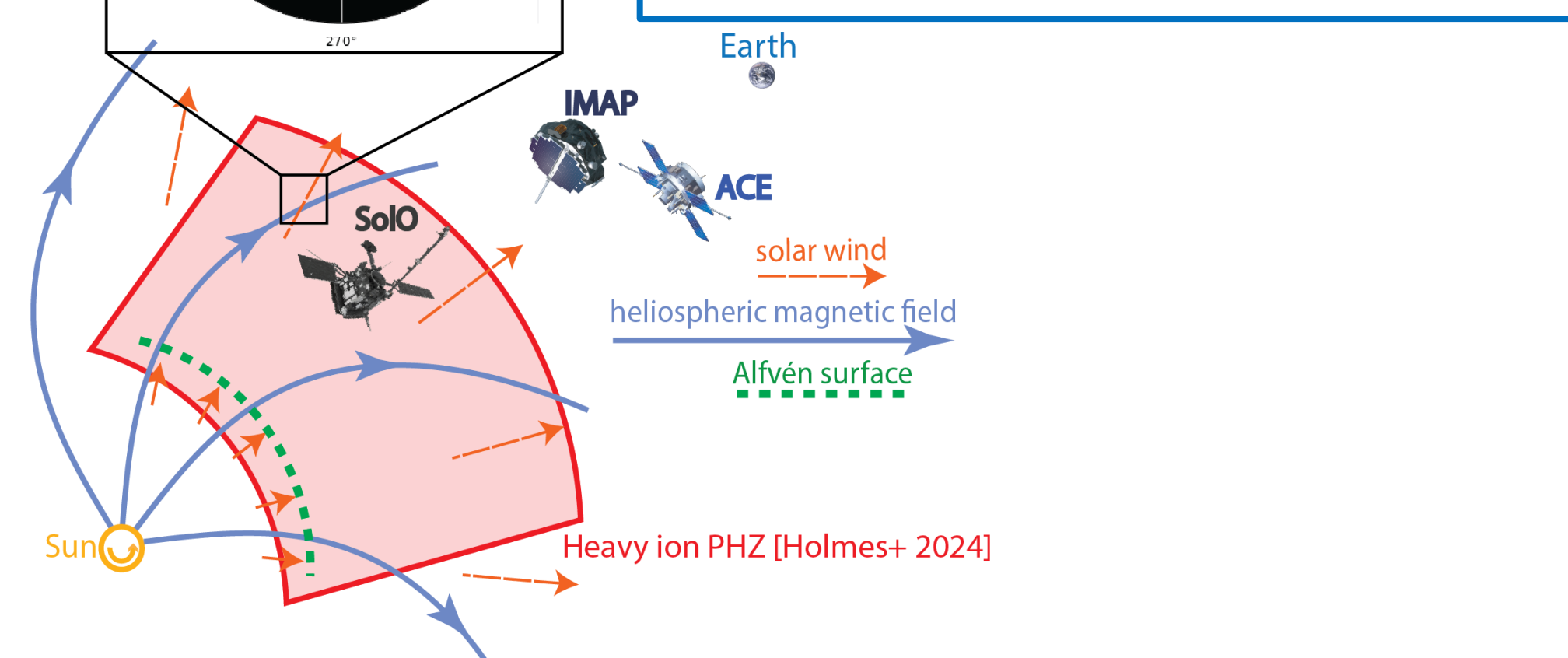


Fig 7. Overview of spacecraft with heavy ion instruments in the Heliosphere, along with the hypothesized upper boundary of the preferential heating zone (PHZ) for heavy ions [17]. Also included is a collapsed 3D velocity distribution function (VDF) of O^{6+} measured by the Heavy Ion Sensor (HIS) onboard Solar Orbiter (SoHO).